

Randomization tests

Test of independence

Participants in the study were 48 bank supervisors who identified as male and were attending a management institute at UNC in 1972. Each supervisor was asked to assume the role of personnel director of a bank.

- Each person given a file to judge whether the person in the file should be promoted
- The files were identical, except half of them indicated that the candidate was male, and the other half were indicated as female
- Files were randomly assigned to bank managers

Research question: Are individuals who identify their sex as female discriminated against in promotion decisions made by their managers who identify as male?

Step 1

H_0 :

H_A :

Step 2

```
discrimination |>
  slice(1:3)
```

```
  sex      decision
1  male      promote
2 female  not promote
3  male      promote
```

| sex | not promote | promote | total |
|--------|-------------|---------|-------|
| female | 10 | 14 | 24 |
| male | 3 | 21 | 24 |
| total | 13 | 35 | 48 |

Obtain some relevant/useful summary statistics:

$\alpha =$

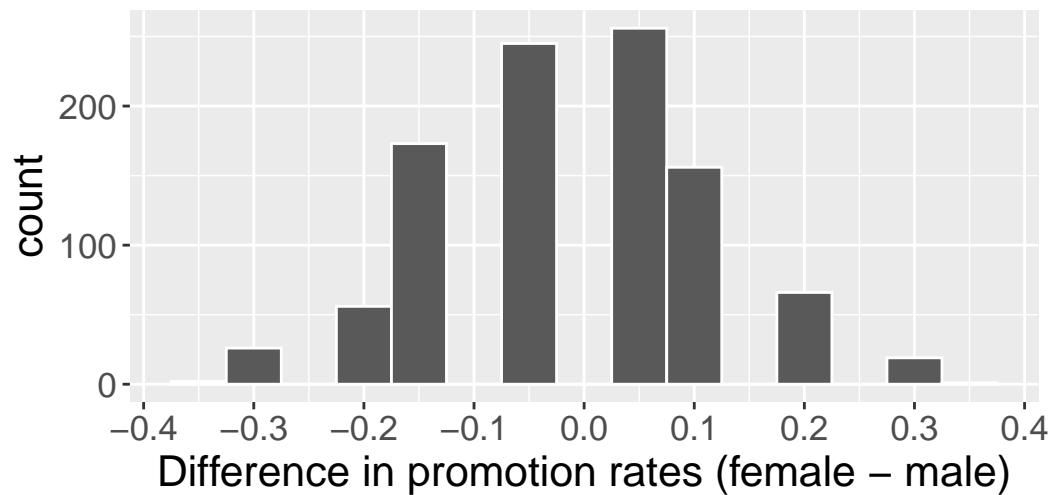
Step 3

Simulate under H_0 :

- Write down “promote” on _____ cards and “_____” on _____ cards.
- Then repeat the following B times:
 1. Shuffle the cards
 2. Deal out a stack of _____ to represent _____ candidates and _____ to represent _____ candidates.
 - 3.

```
1 set.seed(100)
2 n <- nrow(discrimination)
3 n_f <- sum(discrimination$sex == "female")
4 n_m <- sum(discrimination$sex == "male")
5 decisions <- discrimination$decision
6 B <- 1000
7 diff_props_null <- rep(NA, B)
8 for(b in 1:B){
9   shuffled <- sample(decisions, n)
10  rand_f <- shuffled[1:n_f]
11  rand_m <- shuffled[-c(1:n_f)]
12
13  p_f_sim <- mean(rand_f == "promote")
14  p_m_sim <- mean(rand_m == "promote")
15
16  diff_props_null[b] <- p_f_sim - p_m_sim
17 }
```

Null distribution



- p-value:

Step 4

- Decision:

- Conclusion:

- Possible error:

Test for difference in proportions

An experiment was conducted, consisting of two treatments on 90 patients who underwent CPR for a heart attack and subsequently went to the hospital. Each patient was randomly assigned to either:

- treatment group: received a blood thinner
- control group: did not receive a blood thinner

For each patient, the outcome recorded was whether they survived for at least 24 hours.

Research question: For patients who undergo CPR after a heart attack, does the blood thinner treatment have an effect on survival?

Step 1

H_0 :

H_A :

Step 2

```
cpr |>  
  slice(1:3)
```

```
  group  outcome  
1 treatment    died  
2   control    died  
3   control survived
```

| group | died | survived | total |
|-----------|------|----------|-------|
| control | 39 | 11 | 50 |
| treatment | 26 | 14 | 40 |
| total | 65 | 25 | 90 |

Obtain some relevant/useful summary statistics:

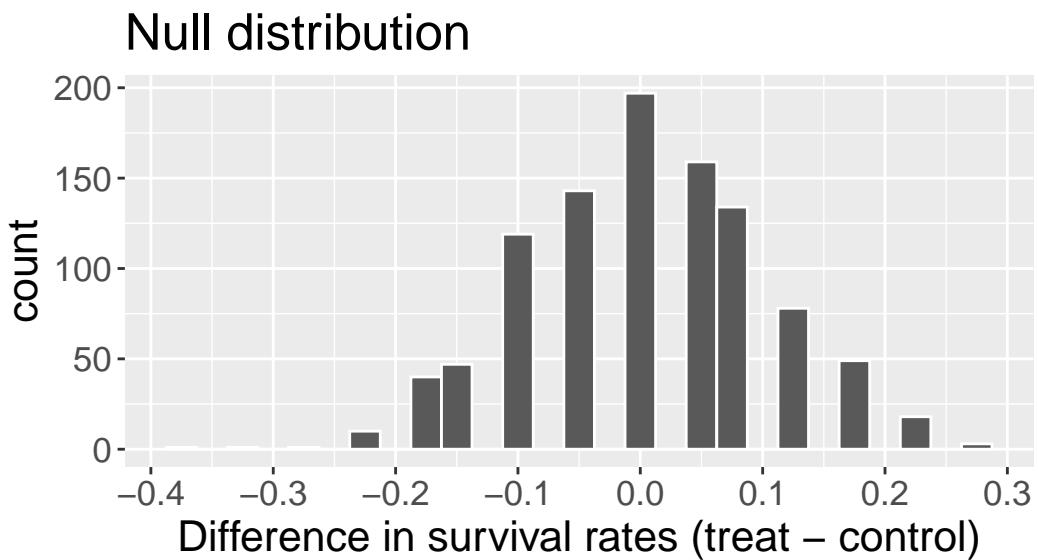
$\alpha =$

Step 3

Simulate under H_0 :

- Write down “_____” on _____ cards and “_____” on _____ cards.
- Then repeat the following B times:
 1. Shuffle the cards
 2. Deal out a stack of _____ to represent _____ candidates and _____ to represent _____ candidates.
 - 3.

```
1 set.seed(310)
2 n_t <- sum(cpr$group == "treatment")
3 n_c <- sum(cpr$group == "control")
4 cards <- cpr$outcome
5 B <- 1000
6 diff_props_null <- rep(NA , B)
7 for(b in 1:B){
8   shuffled <- sample(cards)
9   treat_sim <- shuffled[1:n_t]
10  control_sim <- shuffled[-c(1:n_t)]
11
12  p_t_sim <- mean(treat_sim == "survived")
13  p_c_sim <- mean(control_sim == "survived")
14
15  diff_props_null[b] <- p_t_sim - p_c_sim
16 }
```



- p-value:

Step 4

- Decision:

- Conclusion:

- Possible error: